

# Electrical Impedance Spectroscopy Instrumentation Design Challenges

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# Overview

- What is Electrical Impedance Spectroscopy?
- Instrumentation Requirements and Challenges
- Typical Application Areas

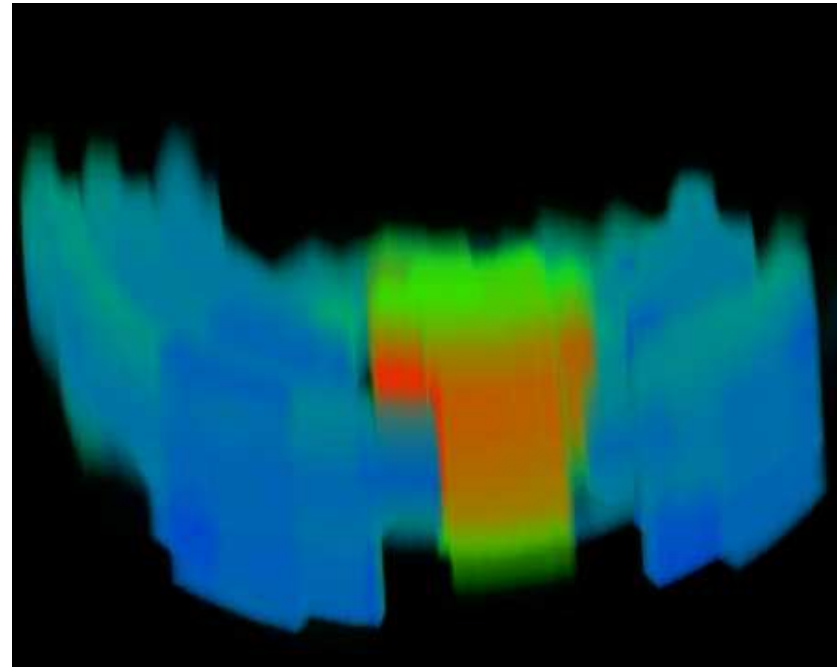
# Electrical Impedance Spectroscopy

- Active scanning method for determining spatial distribution of electrical conductivity ( $\sigma$ ) and/or permittivity ( $\epsilon$ ) inside a volume.
- Electrical currents applied to volume surface, generating EM field.
- Resulting surface potentials measured.
- Complex conductivity distribution may be analyzed statistically and formed into images for visual interpretation.

# Strengths of EIS

- High temporal resolution.
- Based on electrical properties of materials (fixed and free charge carriers).
- Can characterize materials as function of intrinsic and extrinsic properties.
- Platform technology for cross-disciplinary application.

# Sample 2-D EIT Imagery



Images courtesy Dr. Jonathan Newell and Copyright Rensselaer Polytechnic Institute, Troy, NY.

# EIS Movie: Lung Ventilation

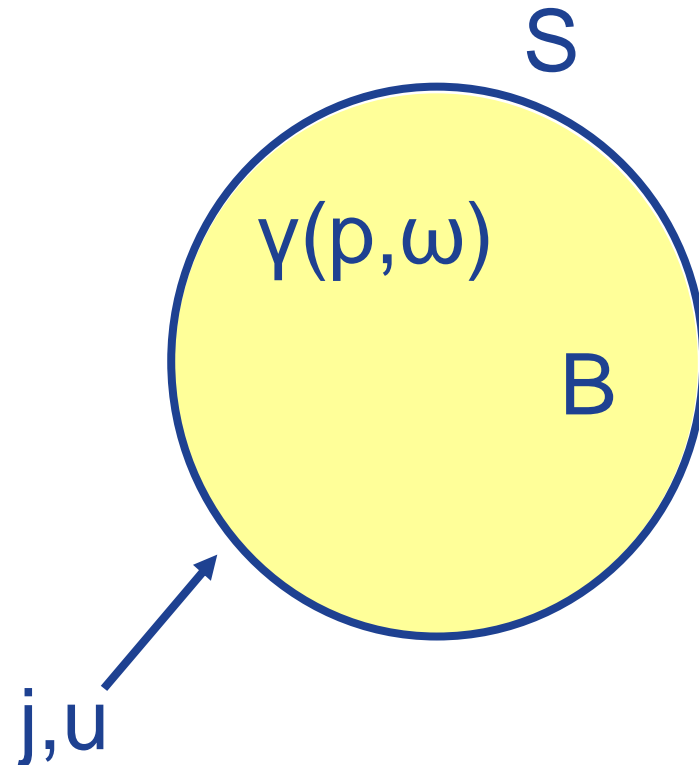
# Complete EIS Forward Model

- At low frequencies magnetic field effects can be neglected.
- Assuming no interior sources, then:

$$\nabla \cdot [\gamma \nabla u] = 0 \text{ in } B$$

$$\gamma \frac{\partial u}{\partial n} = j \text{ on } \partial S,$$

where  $\gamma \equiv \sigma(p, \omega) + j\omega\epsilon(p, \omega)$ ,  $p \in \mathbb{R}^2$ .



# Complete Forward Model (cont.)

Modeling electrodes on S:

$$\int_{e_l} \gamma \frac{\partial u}{\partial n} ds = i_l, l = 1, 2, \dots, L$$

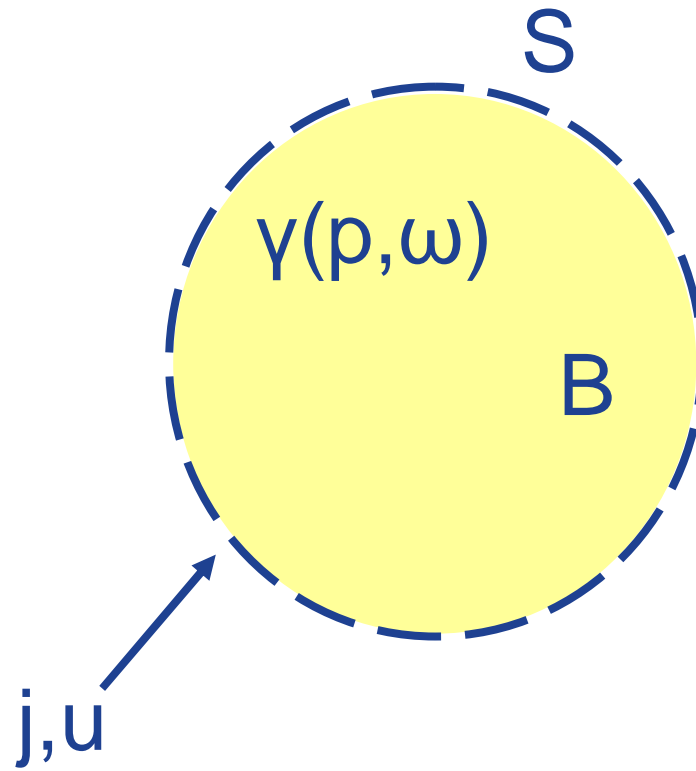
$$\gamma \frac{\partial u}{\partial n} = 0, \text{ in gaps}$$

Modeling  $u$  on  $e_l$ :

$$V_l = u + z_c \gamma \frac{\partial u}{\partial n}, l = 1, 2, \dots, L$$

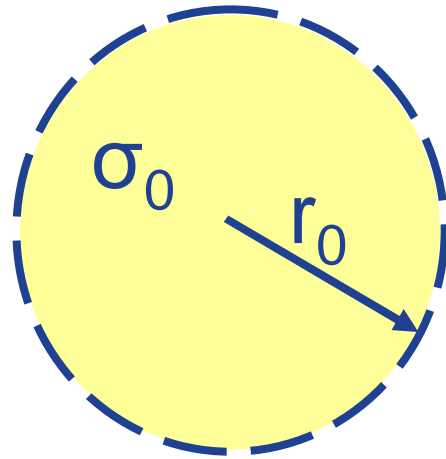
Boundary Conditions :

$$\sum_{i=1}^L I_i = 0, \sum_{i=1}^L V_i = 0$$

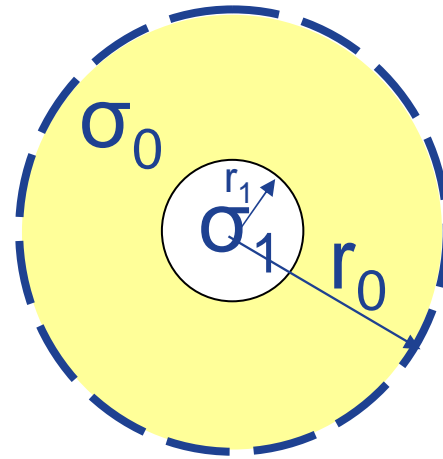


# Definition of Distinguishability

Ability of  $j$  to differentiate between  $\gamma_1$  and  $\gamma_2$



$\gamma_1(p, \omega)$



$\gamma_2(p, \omega)$

Power Distinguishability

$$|P(\gamma^1) - P(\gamma^2)| > \epsilon_p$$

Relative Power Change

$$\delta(\gamma^2, \gamma^1) = \frac{|P(\gamma^1) - P(\gamma^2)|}{|P(\gamma^1)|}$$

Power Defined

$$P \propto \text{Re} \sum_{l=1}^L I_l V_l$$

# Required Source Precision

Minimum source and measurement precision given by:

$$\varepsilon = \frac{\delta P}{P} \propto \frac{\delta \sigma}{\sigma_0} \frac{V_T}{V} \approx \frac{\delta \sigma}{\sigma_0} \frac{h}{H}^3$$

Assume:

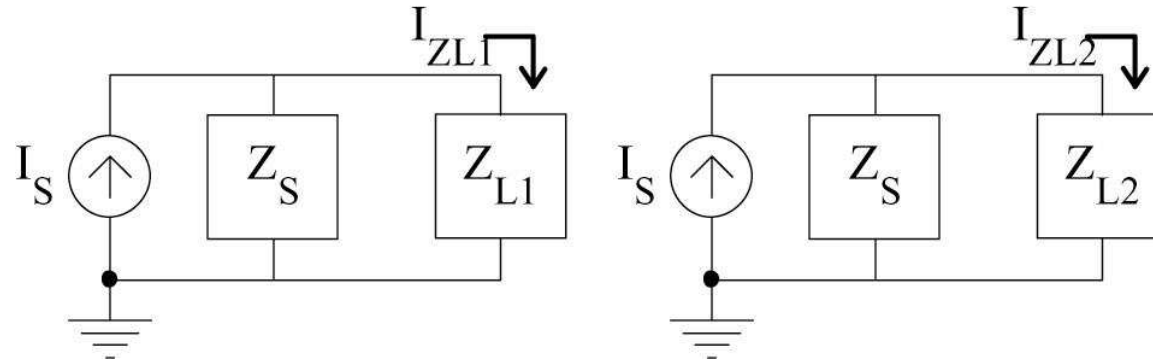
12 x 12 cm, 64 electrode probe

Imaged depth is then ~3.59 cm

- $\text{DoF}_{\text{MAX}} = L(L-1)/2 = (64 \times 63)/2 = 2,016$  voxels
- Voxels have equal volume (~0.256 cm<sup>3</sup>)
- $\sigma_0 = 0.3$  S/m, with > 8:1 contrast

$$\varepsilon_{\text{required}} \geq 16 \text{ bits per source}$$

# Current Source Precision



$$b \text{ (bitsPrecision)} = \log_2 \left( \frac{I_S}{I_{L1} - I_{L2}} \right) = \log_2 \left( \frac{(Z_S + Z_{L1})(Z_S + Z_{L2})}{Z_S(Z_{L2} - Z_{L1})} \right)$$

Assume  $Z_{L1} = Z_{L2} = Z_{Ln} \approx 5 \text{ k}\Omega \pm 5\%$

(Typical for electrode-skin impedance in biomedical applications)

Current source precision primarily function of  $Z_S$ ;

16 bit source precision requires:  $|Z_S| \geq 32 \text{ M}\Omega$

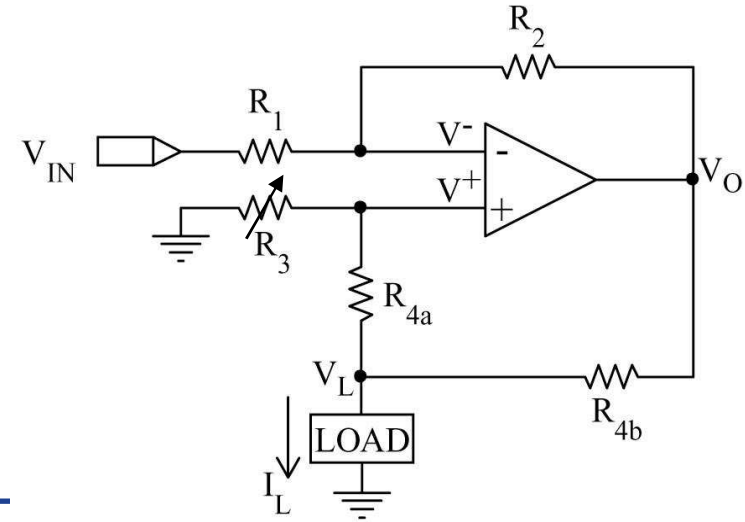


# Current Source Analysis: Calculation of $R_{OUT}$ (cont.)

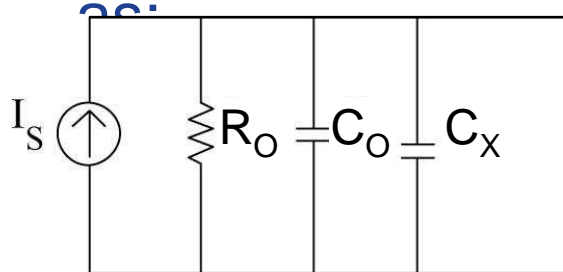
Current Source Output

$$R_O = \frac{R_1 R_{4B} (R_3 + R_{4A})}{R_1 (R_{4A} + R_{4B}) - R_2 R_3}$$

Adjust  $R_3$  to optimize  $R_O$



In practice,  $R_O$  is complex, modeled

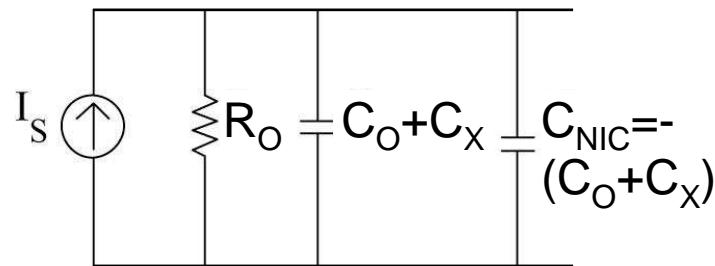


Requires compensation for output and stray capacitance.

# Active Circuit Compensation for $C_O$ and $C_X$

Negative Impedance Converter (Synthesizes  $-C$ )

Add NIC in parallel to cancel  $C_O + C_X$ .

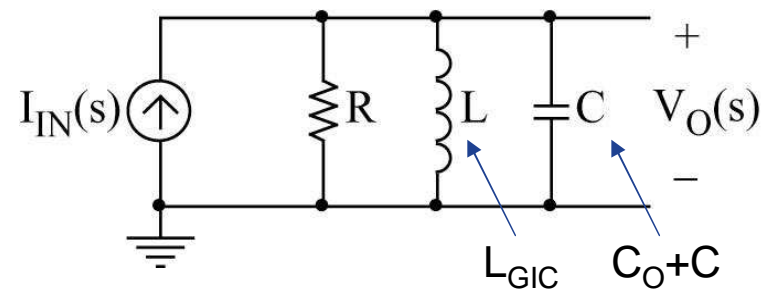


- Unstable at frequencies  $> \sim 100$  kHz
- 1 NIC per source for all frequencies
- Simple instrumentation (single opamp, passives)



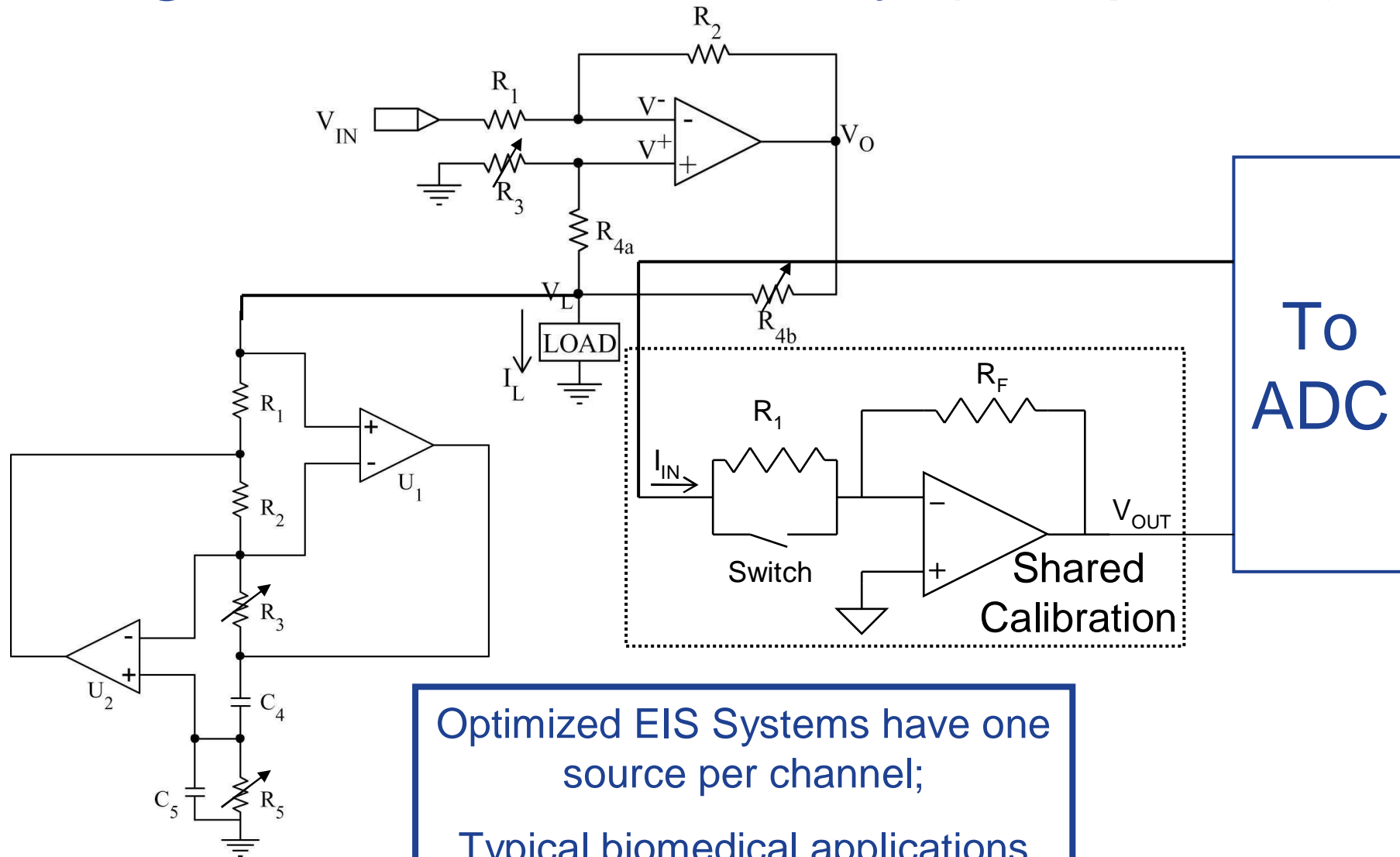
Generalized Impedance Converter (Synthesizes  $L$ )

Add GIC in parallel to achieve resonance.



- Excellent for single frequency applications up to  $\sim 10$  MHz
- 1 GIC needed per source, per excitation frequency
- Complex instrumentation (two opamps, digipots, passives)

# Single Channel Circuitry (Simplified)



Optimized EIS Systems have one source per channel;  
 Typical biomedical applications call for 32 – 64 channels.

# Typical Instrumentation

- Current Sources
- Voltsmeters
- Data Conversion Subsystem (i.e., DACs, ADCs)
- Safety Subsystem
- Calibration Subsystem
- Communications and Control Subsystems
- Power System and Distribution

# Development Drivers

## State of the Art (2008)

- 19" x 20" x 48" form factor
- Draws 1 kW
- 20 frames per second
- 72 channels



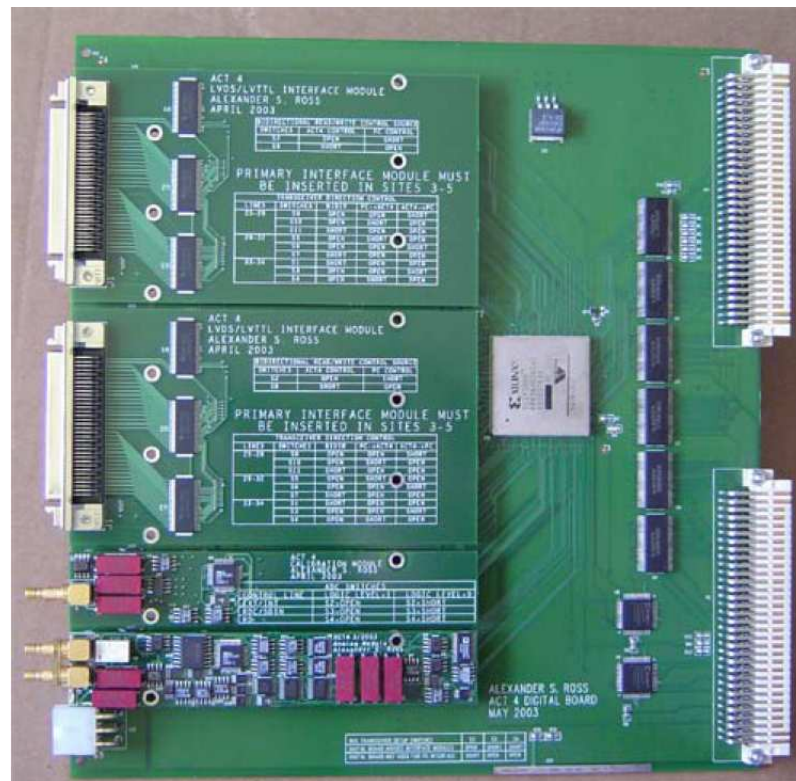
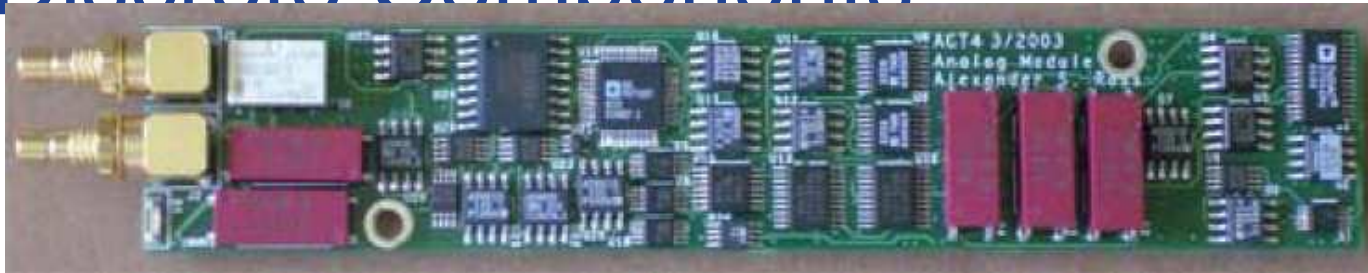
## Market Requirements

- ✗ Small form factor (e.g., laptop)
- ✗ Low power (battery option)
- ✓  $\geq 20$  frames per second for realtime imaging
- ✓ 64 Channels for higher spatial resolution



Requires  
compact,  
integrated, low  
power electronics.

# Completed Multilayer PCBs with Sources: All Discrete Components



# Application Areas

## Biomedical

- Detection of internal bleeding
- Neurological Imaging
- Epileptic Source Localization
- Cancer Detection
- Pulmonary Perfusion and Ventilation
- Gastric Emptying
- Cardiac Events

## Industrial Processing

- Mixture Homogeneity
- Temperature Distribution

## Inspection Technologies

- Flaw Detection
- Material Characterization
- Multiphase Flow Metering

## Environmental Monitoring

- Pollution Monitoring
- Groundwater Tracking
- Salinity Estimation

Thank  
You!